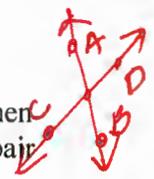


Chapter 1 & 2 – Final Review

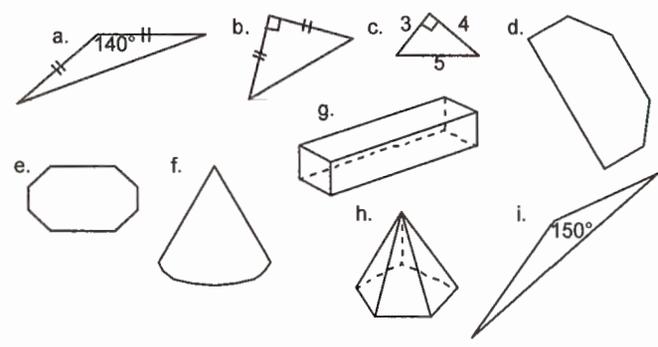
Identify each statement as true (T) or false (F)

- 1) T The ray from R through points P or Q is written in symbolic form as \overrightarrow{RQ} or \overrightarrow{RP} .
- 2) F The line segment from P to Q is written in symbolic form as \overline{RP} .
- 3) F The building blocks of geometry are points, lines, and rays. *planes*
- 4) F An obtuse angle is an angle whose measure is more than 180° .
- 5) T An altitude in an acute triangle is a perpendicular segment connecting a vertex with the opposite side. *90°*
- 6) F A diagonal is a line segment in a polygon connecting any two vertices. *non-consecutive*

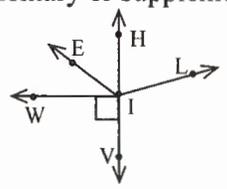
- 7) F If \overleftrightarrow{AB} intersects \overleftrightarrow{CD} at point P, then $\angle APC$ and $\angle APD$ have to be a pair of vertical angles. 
- 8) F If the sum of the measures of two angles is 90° , then the two angles are supplementary. *180°*
- 9) F If two lines do not intersect, then they are parallel. *skew*
- 10) T If two lines lie in the same plane are perpendicular to the same line, then they are parallel.
- 11) F A polygon with six sides is called a heptagon. *hexagon*

Match each term with its drawing below.

- 12) Isosceles right triangle b
- 13) Obtuse scalene triangle i
- 14) Octagon e
- 15) Hexagon d
- 16) Right scalene triangle c

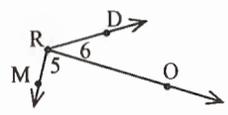


17) Name a pair of angles that are adjacent, but not complementary or supplementary.



- a) $\angle HIW$ and $\angle HIE$
- b) $\angle HIE$ and $\angle LIV$
- c) $\angle HIW$ and $\angle VIW$
- d) $\angle EIH$ and $\angle HIL$

18) Name all angles with R as their vertex.



- a) $\angle 5, \angle 6, \angle 7$
- b) $\angle DRO, \angle MRD, \angle ORM$
- c) $\angle ORD, \angle MRD, \angle ROM$
- d) $\angle M, \angle O, \angle D$

For #19-21, determine whether each statement is *always* (A), *sometimes* (S), or *never* (N) true.

19) A plane contains only three points. N
infinite

20) Three noncollinear points are contained in only one plane. A

21) If three points are coplanar, they are collinear. S

Use the diagram at the right for #22–24.

22) What is the intersection of the two planes?

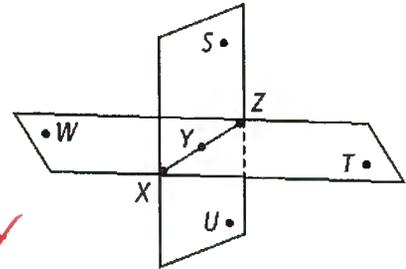
~~Line XZ~~ \overline{XZ}

23) What plane contains points W, X, and Y?

Plane WXY

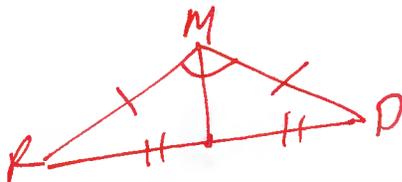
24) Are points T, Z, W, and U coplanar or noncoplanar?

Non-coplanar

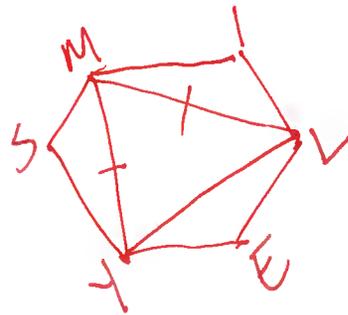


For #25 & 26, sketch, mark and label each figure

25) Isosceles obtuse $\triangle MRD$ with $MR = MD$ and median \overline{ME}



26) A hexagon SMILEY with vertices Y, M, and L joined to form isosceles $\triangle YML$



27) If $m\angle 1 = 9x$ and $m\angle 2 = 3x$. Find the value of x if $\angle 1$ and $\angle 2$ are supplementary.

$$9x + 3x = 180$$

$$12x = 180$$

$$x = 15$$

28) $\angle 1$ is complementary to $\angle 3$, $\angle 2$ is complementary to $\angle 3$. If $m\angle 2 = x + 24$ and $m\angle 3 = 8x - 6$, find $m\angle 1$.

$$x + 24 + 8x - 6 = 90$$

$$9x + 18 = 90$$

$$9x = 72$$

$$x = 8$$

$$m\angle 1 = 32^\circ$$

Find the missing two terms in the sequence.

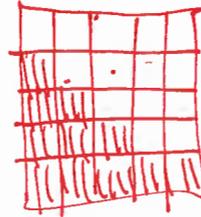
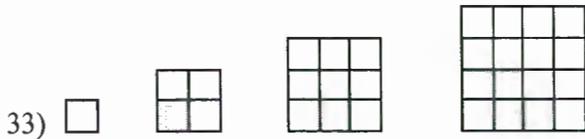
29) 3, 6, 9, 15, 24, 39, 63, 102
 $3 \quad 3 \quad 6 \quad 9 \quad 15 \quad 24 \quad 39$

30) 1, 2, 5, 14, 41, 122, 365, 1094
 $1 \quad 3 \quad 9 \quad 27 \quad 81 \quad 243 \quad 729$

31) 0, 2, 6, 12, 20, 30, 42, 56
 $2 \quad 4 \quad 6 \quad 8 \quad 10 \quad 12 \quad 14$

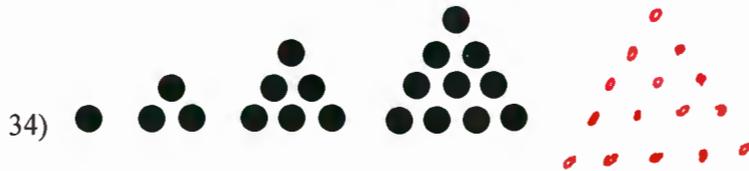
32) 1, 2/3, 4/9, 8/27, 16/81, 32/243
 $\frac{1}{1} \quad \frac{2}{3} \quad \frac{4}{9} \quad \frac{8}{27}$

Draw the next shape in each pattern.



35) Find a counterexample to disprove the conjecture: "If the quotient of two numbers is positive, then the two numbers must be positive."

$$\frac{-10}{-5} = 2$$



36) Write the indicated form of the following statements.

Afterwards, state if it's true or false.

"A square is a regular polygon."

If-then:

If it is a square, then it is a regular polygon

True

Converse:

If it is a regular polygon, then it is a square

False

Inverse:

If it is not a square, then it is not a regular polygon.

False

Contrapositive:

If it is not a reg. polygon, then it is not a square.

True

In #37-39, determine the logical conclusion and state which law you used: Law of Detachment (LOD), Law of Contrapositive (LOC), or Law of Syllogism (LOS). If no conclusion can be drawn, write "no conclusion."

- 37) If you live in San Francisco, then you've seen the Golden Gate Bridge. Unfortunately, Josh has not seen the Golden Gate Bridge.

Then he doesn't live in S.F.

LOC

- 38) If a quadrilateral is a square, then it has four right angles. If a quadrilateral has four right angles, then it is a rectangle.

If a quadrilateral is a square, then it is a rectangle

~~*No conclusion*~~

LOS

- 39) If three points lie on the same line, they are collinear. Points A, B, and C lie on line k.

Then the points are collinear

LOD

- 40) Write the definition of an equiangular polygon as a single biconditional statement.

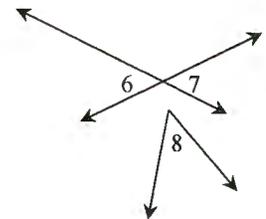
A polygon is equiangular if and only if all angles are congruent.

- 41) Complete the following truth table.

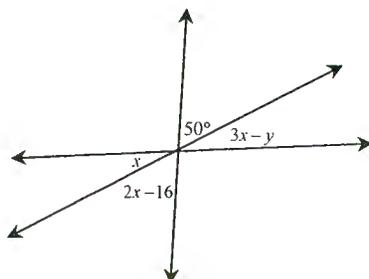
p	q	$\sim p$	$\sim p \wedge q$
T	T	F	F
T	F	F	F
F	T	T	T
F	F	T	F

- 42) Suppose you already stated that $\angle 6 \cong \angle 7$ and $\angle 7 \cong \angle 8$. What property of congruence justifies the conclusion that $\angle 6 \cong \angle 8$?

Transitive Property



- 43) Find the value of x and y for each diagram. (Not necessarily drawn to scale). Show all algebraic work.



$$2x - 16 = 50$$

$$2x = 66$$

$$\boxed{x = 33}$$

$$33 = 99 - y$$

$$\boxed{y = 66}$$

Complete the following proofs:

44) Given: $BR = UP$

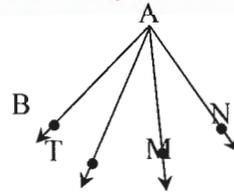


Prove: $BU = RP$

Statement	Reasons
1. $BR = UP$	Given
2. $BR = BU + UR$; $UP = UR + RP$	Segment addition postulate
3. $BU + UR = UR + RP$	Substitution prop.
4. $UR = UR$	Reflexive prop
5. $BU = RP$	Sub. Prop of =

45) Given: $m\angle BAT = m\angle MAN$

Prove: $m\angle BAM = m\angle TAN$



Statement	Reasons
1. $m\angle BAT = m\angle MAN$	Given
2. $m\angle TAM = m\angle TAM$	Reflexive Property
3. $m\angle BAT + m\angle TAM = m\angle TAM + m\angle MAN$	Addition prop of =
4. $m\angle BAM = m\angle BAT + m\angle TAM$ $m\angle TAN = m\angle TAM + m\angle MAN$	Angle addition postulate
5. $\therefore m\angle BAM = m\angle TAN$	Substitution