## Name

Answers

## **Geometry - Chapter 3 Review**

Identify each statement as true (T) or false (F). For many of the problems, it would help (but not necessary) to make a drawing or to do a counterexample.

1)	If two angles are vertical angles, then they are congruent.	T
2)	If two angles are a linear pair, then they are congruent.	F
3)	If two parallel lines are cut by a transversal, then the corresponding angles, alternate interior angles, and alternate exterior angles are supplementary.	F
4)	If two lines are cut by a transversal to form pairs of congruent corresponding angles, congruent alternate interior angles, and congruent alternate exterior angles, then the lines are parallel.	T
5)	The x-coordinate of the midpoint of a segment is the average of the x-coordinates of the segment's endpoints.	T
6)	If $(a,b)$ and $(c,d)$ are the coordinates of two points on a line, then the slope <i>m</i> of the line is given $m = \frac{d-b}{c-a}$ .	T
7)	In a coordinate plane, two lines are perpendicular if and only if their slopes are reciprocals of each other.	F
8)	On a plane, if two lines are perpendicular to the same line, then they must be parallel to each other.	T
9)	In a coordinate plane, if s is the slope of the line and t is the y-intercept of the line, then the slope-intercept form of the equation of the line is $y = sx + t$ .	T
10)	In a coordinate plane, if k is the slope of the line and $(c,d)$ is a point on the line, then the point-slope form of the equation of the line is $y-c = k(x-d)$ .	F
11)	If lines x, y, and z are in the same plane, and $x \parallel y$ and $y \parallel z$ , then $x \perp z$ .	F
12)	If lines x, y, and z are not all in the same plane, and $x \parallel y$ and $y \parallel z$ , then $x \parallel z$ .	T
13)	If lines x, y, and z are in the same plane, and $x \perp y$ and $y \perp z$ , then $x \parallel z$ .	$\mathcal{T}$
14)	If lines x, y, and z are not in the same plane, and $x \perp y$ and $y \perp z$ , then $x \parallel z$ . Can be skew	F
15)	If two angles are both congruent and a linear pair, then each angle must be a right angle.	T

16) If point A is (0, 0), point B is (3, 2), point C is (6, 9), and point D is (10, 3), then  $\overrightarrow{AB} \perp \overrightarrow{CD}$ .

For #17-20, classify each pair of angles as corresponding angles, alternate interior angles, same-side interior angles, alternate exterior angles or none of these. You may use CA, AIA, SSI, &AEA.



Find the slope of the line going through each pair of points.

24) A(7, 8) & B(-6, 10)  $m = \frac{10-8}{-6-7} = \begin{bmatrix} 2\\ -13 \end{bmatrix}$ 25) C(3,8) & D(3,2) $m = \frac{2-8}{3-5} = \begin{bmatrix} -6\\ 0 \end{bmatrix}$   $\boxed{Undefined}$ 

Determine the slope and y-intercept of the following line.

26) -8y-20x = 12 -8y = 20x + 1/2  $y = -\frac{20}{8}x - \frac{12}{8}$   $y = -\frac{5}{2}x - \frac{3}{2}$   $y = \frac{5}{2}x - \frac{3}{2}$  $y = \frac{5}{2}x - \frac{3}{2}$  28) Write the equations in both slope-intercept and point-slope forms for the line passing through the given point and having the given slope.

(-1, -3), m = 4y+3=H(x+1) Point-slope ,4+3=42+4 19=4x+1 slope-lokeapt

29) Write the equations in both slope-intercept and point-slope forms for the line passing through the given points.

$$(-3, 1) (3, 2)$$

$$m = \frac{2^{-/}}{3^{-3}} = \frac{1}{6}$$

$$y - 2 = \frac{1}{6} (x - 3)$$

$$y - 1 = \frac{1}{6} (x + 3)$$

$$y - 1 = \frac{1}{6} (x + 3)$$

$$y - 1 = \frac{1}{6} x + \frac{1}{2}$$

$$y = \frac{1}{6} x + \frac{3}{2}$$

$$Slow - Int.$$

30) Find the midpoint of  $\overline{AB}$  if its endpoints are A(3,4) and B(7,12).



 $(braph 32) \quad y = -4x - 1$ 

33) -3x - 4y = 12-4y = 3x + 12 $y = \frac{-3}{2}x - 3$ 







31) One endpoint of  $\overline{AB}$  is A(-3, 10) and the midpoint is M(1,4). Find the coordinates of its other endpoint.

M(1,4) A(-3,10) B(X,Y) [(5,-2)]

34) 
$$y-5 = -4(x+3)$$

35) Solve using any method.

$$6x + 3(4 - 2x) = 12$$
  
 $6x + 12 - 6x = 12$   
 $12 = 12$   
 $\overline{A11 \text{ real solutions}}$ .

36) Determine if  $\overline{AB} \perp \overline{CD}$  or not? Show why (not).

 $A(8,3) \qquad S/qu_{MB} = \frac{11-3}{4-8} = \frac{8}{-4} = -2$  B(4,11)  $C(3,3) \qquad S/ope_{CD} = \frac{7-3}{5-3} = \frac{4}{2} = 2$   $D(5,7) \qquad N_{o}, \text{ Hair slopes are not}$ opp. reciprocals of each other.

38) Write the equation of the line through point B(1,2) perpendicular to the line: -2x + 4y = 8.

y = 2x + 8  $y = \frac{1}{2}x + 2$  y = -2x + 6 2 = -2(0) + 6 2 = -2 + 6 y = -2x + 9y = -2x + 9 37) Find *y* if the line thru (2,8) and (7,*y*) has a slope of 2.



39)  $\overline{AB}$  two endpoints are A(3,-1) and B(1,5). Write the equation of the line that is the perpendicular bisector of  $\overline{AB}$ .

$$A = \frac{1}{3}x + b$$

$$M = \frac{5}{1-3}$$

$$= \frac{6}{2} = -3$$

$$M = \frac{1}{3}x + b$$

$$M = \frac{1}{3}$$

40) Use the diagram.



a) Find x so that p||q.

.

$$2x+2 = x+51$$

$$\boxed{x = 54^{\circ}}$$

b) Find *y* so that  $r \parallel s$ .

$$(y+7) + (3y-17) = 180$$
  
 $4y - 10 = 180$   
 $4y = 190$   
 $1 y = 47.5^{\circ}$ 

$$(2x-y)^{9}$$

$$(2x-y)^{9}$$

$$(2x+y)^{9}$$

$$(2x+y)^{9}$$

$$(2x+y)^{9}$$

$$(2x+y)^{1}$$

$$(2x-y)^{2}$$

$$(2x+y)^{2}$$

$$(2x$$



Complete the following proof.

42) Given:  $g \parallel h$  and  $i \parallel j$ 

Prove:  $\angle 1$  is supplementary to  $\angle 16$ .

Statement	Reasons	
1. $g    h \text{ and } i    j$	Given	
2. $\angle 1 \cong \angle 3$	VA	
3. ∠3 ≅ ∠11	CA	
<b>4.</b> ∠1 ≅ ∠11	Trans. Prop Subst. Prop	
5. $\angle 11$ and $\angle 16$ are supplementary.	SSI	
6. $\angle 1$ and $\angle 16$ are supplementary.	Subst. Prop.	

41) Find the value of x and y.

60°/

43) Using the figure to the right, a student says that according to Perpendicular Transversal Theorem that  $\overrightarrow{AD} \parallel \overrightarrow{CF}$  and  $\overrightarrow{AD} \perp \overrightarrow{AB}$ , then  $\overrightarrow{CF} \perp \overrightarrow{AB}$ . Explain the student's error.

You can't use any substitution or transitive property here. CF and AB don't even intersect. They are skew. Thus, they can't be perpendicular.

44) Calculate each lettered angle below.



 $a = \frac{152^{\circ}}{152^{\circ}} d = \frac{152^{\circ}}{152^{\circ}} g = \frac{152^{\circ}}{152^{\circ}} j = \frac{14^{\circ}}{152^{\circ}} n = \frac{62^{\circ}}{152^{\circ}} s = \frac{60^{\circ}}{152^{\circ}} s = \frac{60^{\circ}}{152^{\circ}} s = \frac{14^{\circ}}{152^{\circ}} s = \frac{14^{\circ}}{152$