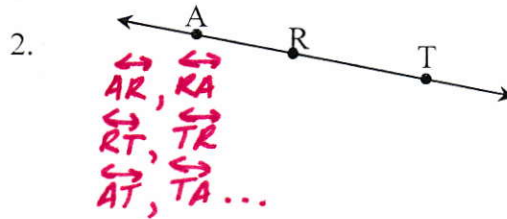
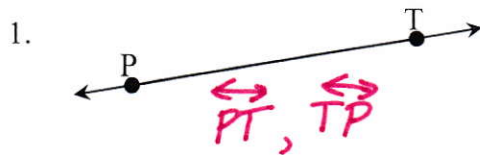
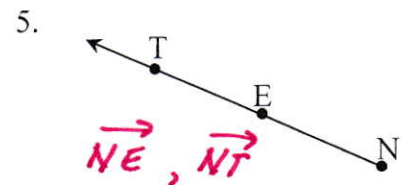
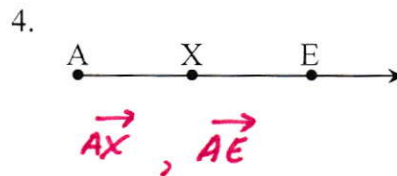
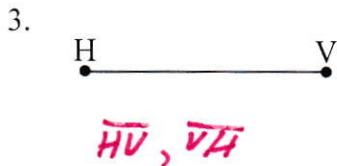


# 1.1 – Points, Lines, and Planes

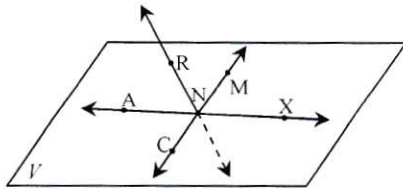
Name each line two different ways.



Name each line segment or ray two different ways.



Use the figure below for Exercises 6–13. Note that  $\overleftrightarrow{RN}$  pierces the plane at  $N$ . It is not coplanar with  $V$ .



6. Name two segments shown in the figure.

*AN, NX, etc.*

7. What is the intersection of  $\overleftrightarrow{CM}$  and  $\overleftrightarrow{RN}$

*Point N*

8. Name three collinear points.

*Points A, N, and X  
(Various answers)*

9. What are two other ways to name plane  $V$ ?

*Plane ANC, Plane CNX  
(Just as long as you use 3 pts on plane)*

10. Are points  $R$ ,  $N$ ,  $M$ , and  $X$  coplanar?

*No*

11. Name two rays shown in the figure.

*$\overrightarrow{NA}$ ,  $\overrightarrow{NM}$ , etc.*

12. Name the pair of opposite rays with endpoint  $N$ .

*$\overrightarrow{NA}$ ,  $\overrightarrow{NX}$ , etc.*

13. How many lines are shown in the drawing?

*3*

For Exercises 14–19, determine whether each statement is *always* (A), *sometimes* (S), or *never* (N) true.

14.  $\overleftrightarrow{GH}$  and  $\overleftrightarrow{HG}$  are the same ray. N

15.  $\overleftrightarrow{JI}$  and  $\overleftrightarrow{JL}$  are opposite rays. S



16. A plane contains only three points. N

17. Three noncollinear points are contained in only one plane. A

18. If  $\overleftrightarrow{EG}$  lies in plane  $X$ , point  $G$  lies in plane  $X$ . A

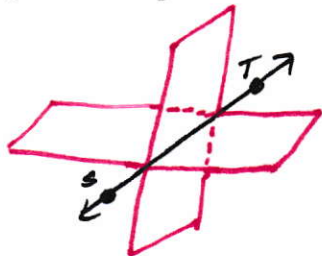
19. If three points are coplanar, they are collinear. S



20. Reasoning: Is it possible for one ray to be shorter in length than another? Explain.

*No. All rays have the same length since they all go on forever in one direction.*

21. Open-Ended: Draw a figure of two planes that intersect in  $\overleftrightarrow{ST}$ .

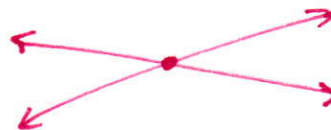


22. Draw a figure to fit each description

a. Through any two points there is exactly one line.



b. Two distinct lines can intersect in only one point.



23. Reasoning: Point  $F$  lies on  $\overrightarrow{EG}$  and point  $M$  lies on  $\overrightarrow{EN}$ . If  $F$ ,  $E$ , and  $M$  are collinear, what must be true of these rays?



*They lie on the same line.  
They are opposite rays*

Use the figure for Exercises 24–28. Name the intersection of each pair of planes or lines.

24. planes  $ABP$  and  $BCD$

*$\overleftrightarrow{AB}$*

27. planes  $BCD$  and  $BCQ$

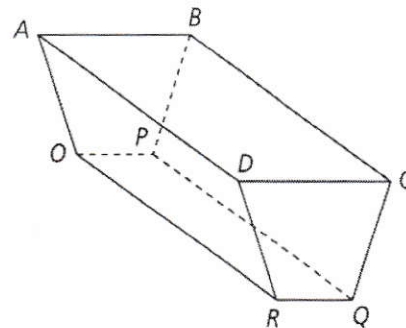
*$\overleftrightarrow{BC}$*

25.  $\overrightarrow{RQ}$  and  $\overrightarrow{RO}$

*Point  $R$*

28.  $\overrightarrow{OP}$  and  $\overrightarrow{QP}$

*Point  $P$*



26. planes  $ADR$  and  $DCQ$

*$\overleftrightarrow{DR}$*